H06 AIR FILTER COMPARISON TEST

EVALUATION DIAGRAMS FOR LABORATORY REPORT

PRESSURE DROP CHARACTERISTIC CURVES			
1) Filter pressure drop vs. flow rate Δp_F [Pa]; q _V [m ³ /s]	$\Delta p_F = f(q_V)$		
q _V [lit/sec]= 143,0365731722 ·	$e^{\text{-0.9598010807.} U[V]}$ (see on the next page, too!)		
2) Filter pressure drop vs. filtration veloc	ity $\Delta p_F = f(v_F)$		
where $v_F=q_V/A_F$, and A_F total s	urface of the filter		
Δp_F [Pa]; v _F [m/s]; A _F [m ²]			
FORCE ACTING ON THE FILTER MATERIAL CHARACTERISTIC CURVES			
3) Force vs. flow rate where $F_F = \Delta p_F \cdot A_F$ $F_F[N]$	$F_F = f(q_V)$		
4) Force vs. filtration velocity	$F_F = f(v_F)$		
POWER LOSS CHARACTERISTIC CURVES			

5) Power loss vs. flow rate $P_F=f(q_V)$

where power loss: $P_F[W] = \Delta p_F \cdot q_V$

- (see on the 3rd page the engine's power curve P[kW]= f(n[rpm]) !)
- 6) Power loss vs. filtration velocity

Evaluation is to be performed for all diagrams, comparison of the filters with the help of the diagrams and in form of written summarising texts. (try to answer the question "Which filter to select for my car?")

 $P_F = f(V_F)$

PERMEABILITY (α) AND INERTIAL RESISTANCE FACTOR (C $_2$) CHARACTERISTIC CURVES

Moreover, based on the measured characteristic curves the following parameters are to be calculated. The ANSYS Fluent CFD (Computational Fluid Dynamics) software uses the following expression for pressure drop of flow through porous media.

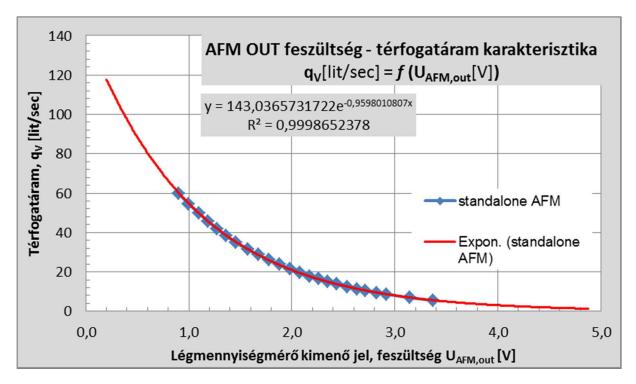
$$\Delta p = -\left(\frac{\mu}{\alpha}v_f + C_2\frac{1}{2}\rho v_f^2\right)\Delta m$$

where

- $\boldsymbol{\alpha}$ (permeability) and
- C₂ (inertial resistance factor)

parameters are to be set. These parameters can be calculated based on the measured data. (We can calculate and use the μ dynamic viscosity, ρ air's density based on the measured laboratory ambient data, and using of Δ m=1mm (=10⁻³m) filter thickness.) In the expression Δ p is the pressure loss of the filter (Δ p_F). The Δ p/ Δ m [Pa/m] pressure gradient characterises the pressure loss of the fluid flow through the filter material having thickness of Δ m. A pressure is decreasing in streamwise direction, that is why there is a "-" sign in the expression. The expression can be rewritten in the form of Δ p=A·v_F+B·v_F², where v_F is the filtration velocity. Plot also results: the characteristic curves for:

7)	Permeability vs. filtration velocity	$\alpha = f(v_F)$
8)	Inertial resistance factor vs. flow rate	$C_2 = f(v_F)$

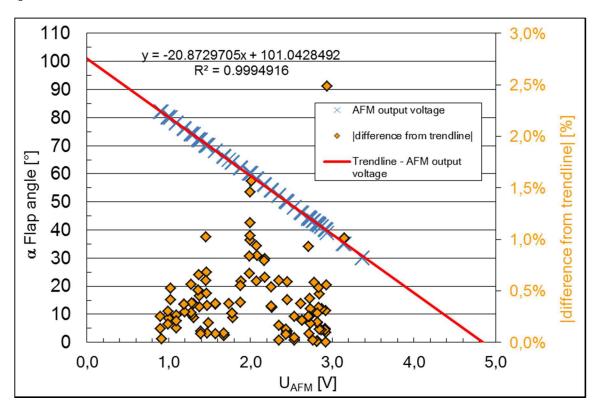


The AFM (air flow meter) was calibrated previously to a standard orifice plate. The trendline fitted to the data points can be seen above in the diagram.

Flow rate q_V [lit/sec] can be recalculated using the $U_{AFM,out}[V]$ output voltage signal of the AFM using the trendline's equation:

q_v [lit/sec]= 143,0365731722 · e^{-0,9598010807.U[V]}

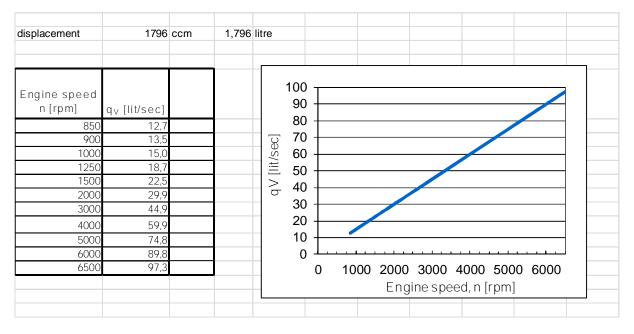
We can plot also the α [°] flap angle vs. U_{AFM,out}[V] output voltage signal of the AFM. α [°] = f (U_{AFM,out}). In the set-up α =0° corresponds to the fully closed flap position. It was measured also previously, your own data can be compared to the previously measured linear trendline, see figure below.



It is useful to know what n[rpm] engine's main shaft' rotational speed range corresponds to the measured air flow rate range.

$$q_V[lit/sec] = f(V[lit],n[ford/min]).$$

Assuming volumetric efficiency 100% , we can calculate the flow rate based on the engine's data (DOHC, 4–stroke, 4cylinder, V=1796 cm3 =1,796lit) :



q_V [lit/sec]= 0,5·V[lit] · (1/60) · n [ford/min]

What is power loss of the air filter compared to the engine's power at a given rpm? The engine's power curve P[kW] = f(n[rpm]) is known only in a form of a photocopy (see below). We can read the P[kW] engine's power at given n[rpm], and we can calculate the air filter's power loss relative to the actual power of the engine in %. (The max. power is known: $P_{max}=100kW(136hp)$ @ 6000rpm, but the radial fan of the experimental set-up cannot flow through such high air flow rate that corresponds to the max. rpm!)

