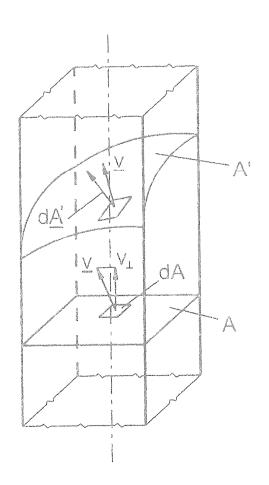
11. TRADITIONAL MEASUREMENT OF VOLUME FLOW RATE

- 11.1. Volume flow rate deduced from velocity measurement data
- 11.1.1. Application example
- 11.1.2. Principle and layouts

$$q_V = \int_{A'} \underline{v} \, \underline{dA'} = \int_{A} \underline{v} \, \underline{dA} = \int_{A} v_{\perp} \, dA$$

$$\approx \sum_{i=1}^{n} v_{\perp i} \Delta A_{i} = \Delta A_{i} \sum_{i=1}^{n} v_{\perp i}$$

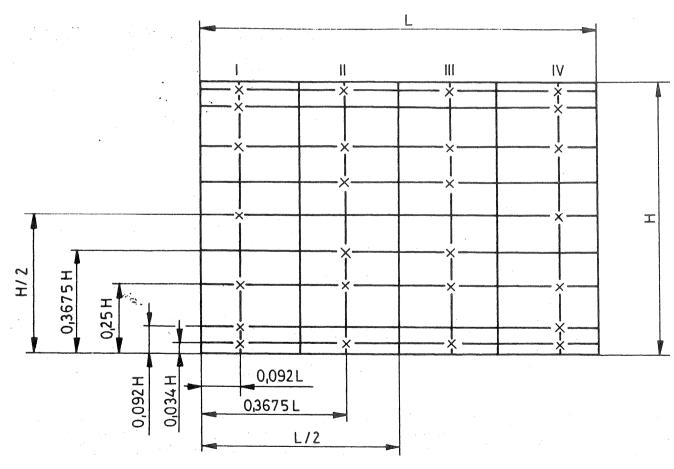
$$= n \cdot \Delta A_i \left(\frac{1}{n} \sum_{i=1}^n v_{\perp i} \right) = A \overline{v}_{\perp}$$



DISCRETISATION:

For rectangular cross-sections:

- •k x k
- •Log-lin method ISO 3966-1977

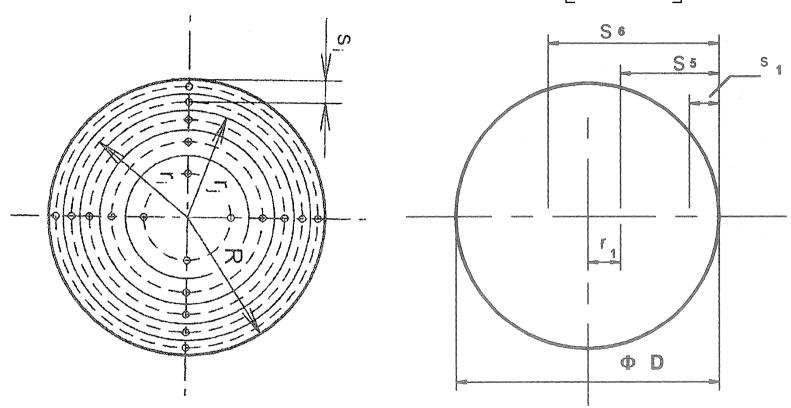


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For circular cross-sections: •10-point method

$$v(r_i) = v_{\text{max}} \left[1 - \left(\frac{r_i}{R} \right)^n \right]$$



 $s_i/D = 0.026$; 0.082; 0.146; 0.226; 0.342; 0.658; 0.774; 0.854; 0.918; 0.974

Accurate integration: for 2nd order paraboloid profile only!

•Log-lin method ISO 3966-1977

3 partial areas

$$v_i(y) = A_i \lg y + B_i y + C_i$$

$$s_i/D = 0.032$$
; 0.135; 0.321; 0,679; 0.865; 0.968

General notes

- •The nose of the probe is to be adjusted parallel to the wall of the duct
- •P_dyn_ref Check of steadiness

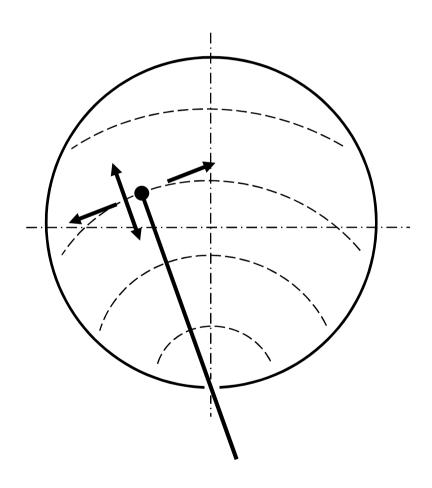
$$v_{ref \, 0} = \sqrt{\frac{2}{\rho}} \, p_{dyn_ref \, _0} \qquad v_{ref \, _i} = \sqrt{\frac{2}{\rho}} \, p_{dyn_ref \, _i}$$

$$v_i = \sqrt{\frac{2}{\rho} p_{dyn_i}}$$

Correction:
$$v_{i corr} = v_i \frac{v_{ref 0}}{v_{ref i}} = v_i \sqrt{\frac{p_{dyn_ref_0}}{p_{dyn_ref_i}}}$$

Obtainment of density

- Advantages and disadvantages
- •Quick scanning:

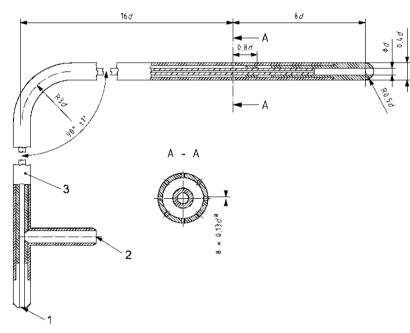


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STANDARDS: the recent one, being in effect, is to be used!

Example: ISO 5801:2007(E): **Industrial fans** — **Performance**

testing using standardized airways

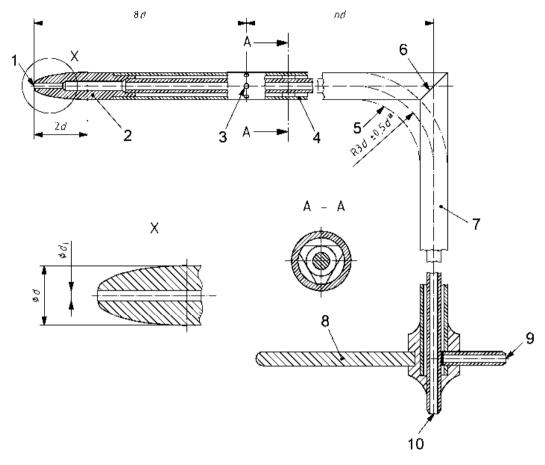


Kev

- 1 stagnation pressure connection
- 2 static pressure connection
- 3 main sten
- a Drilled holes shall not exceed 1 mm diameter, they shall be equally spaced and free from burrs. The hole depth shall not be less than the hole diameter.
- NOTE 1 The Pitot tube head shall be free from nicks and burrs.
- NOTE 2 All dimensions shall be within ± 2 %
- NOTE 3 Surface roughness shall be 0,8 µm or better
- NOTE 4 The static orifices shall not exceed 1 mm in diameter.
- NOTE 5 The minimum Pitot tube stem diameter allowed by this International Standard is 2,5 mm. In no case shall the stem diameter exceed 1/30 of the test duct diameter.

a) AMCA type

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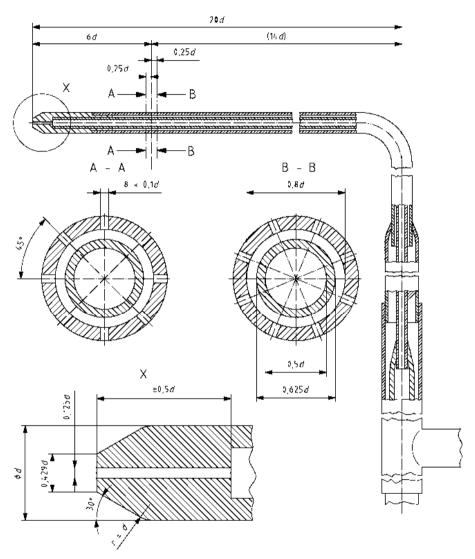
Key

- 1 stagnation pressure hole
- 2 modified ellipsoidal nose
- 3 static pressure holes
- 4 internal spacer
- 5 alternative curved junction
- Mean radius of curved option.

- 6 mitred junction
- 7 main stem
- 3 alignment arm
- 9 static pressure connection
- 10 stagnation pressure connection

b) NPL type with modified ellipsoidal nose

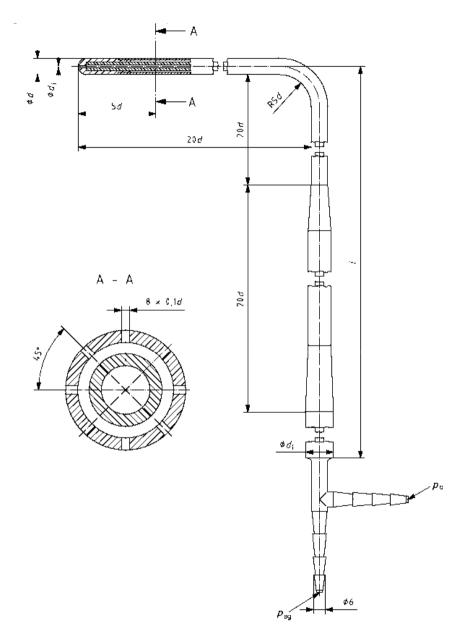
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NOTE — Static pressure taps may be limited to those indicated on section A-A, in which case section A-A shall be placed at 6d from the tube tip.

c) CETIAT type

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d) DLR type

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Calibration of an AMCA type probe







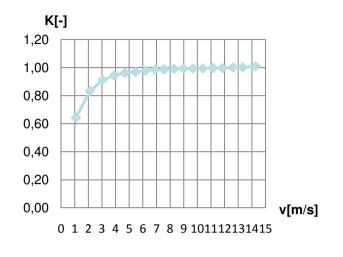


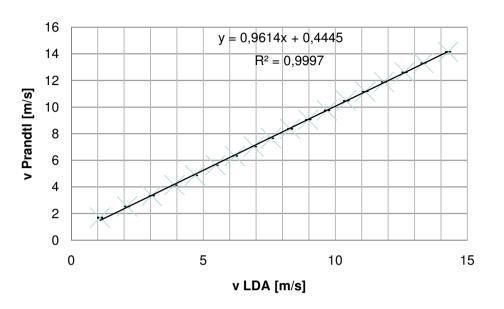
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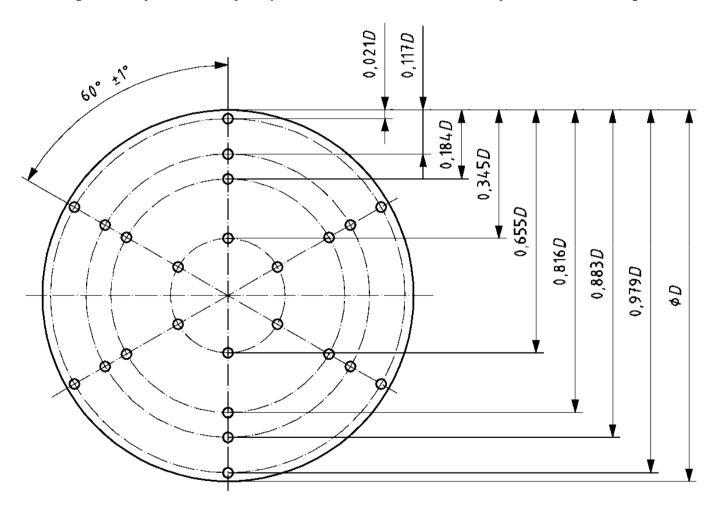
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- Velocity magnitude within +/- 1 % at higher velocities;
- •For this uncertainty: directional insensitivity within +/- 5 deg

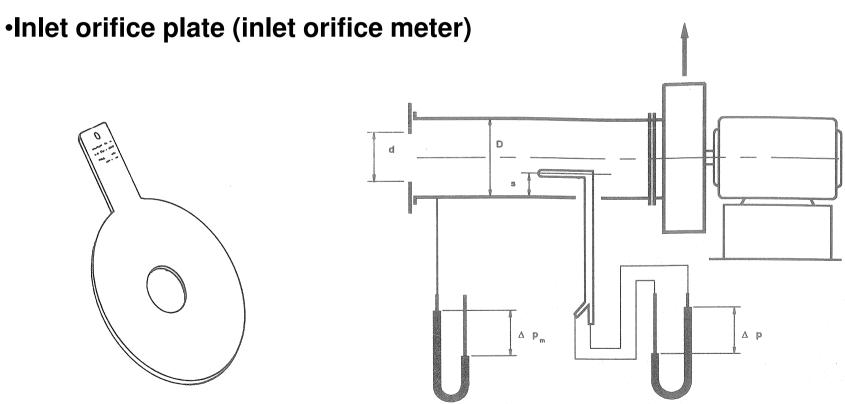
The centre of the nose of the Pitot-static tube shall be located successively at not less than 24 measurement points spaced along three symmetrically disposed diameters of the airway, as shown in Figure 25.



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11.2. Volume flow rate measurements using contraction elements

- 11.2.1. Application example
- 11.2.2. Principle and layouts



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Assumption of ideal fluid: inviscid, incompressible flow

$$p_{0} = p + \rho \frac{v^{2}}{2} \qquad v = \sqrt{\frac{2}{\rho}} (p_{0} - p) = \sqrt{\frac{2}{\rho}} \Delta p_{m}$$

$$q_{V} = \frac{d^{2}\pi}{4} v = \frac{d^{2}\pi}{4} \sqrt{\frac{2}{\rho}} \Delta p_{m}$$

Reality: viscous, compressible flow

A/ Effect of viscosity

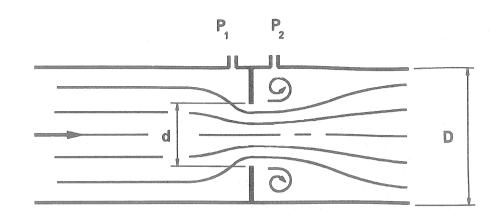
flow coefficient α dependence on d/d_in, Re for the inlet orifice meter: $\alpha = 0.6$

$$q_{V} = \alpha \varepsilon \frac{d^{2}\pi}{4} \sqrt{\frac{2}{\rho} \Delta p_{m}}$$

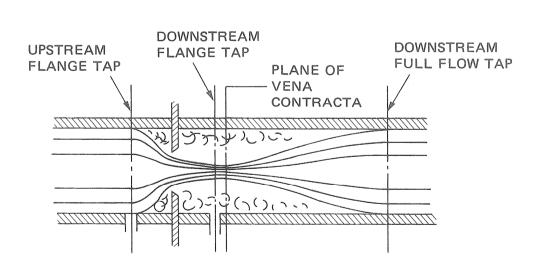
B/ Effect of compressibility

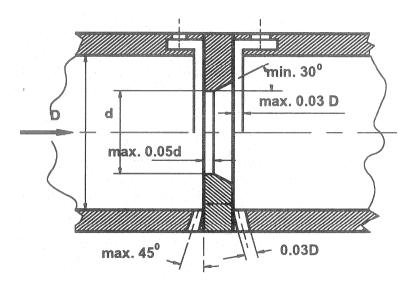
expansion coefficient ε dependence on d/d_in , Δp , p_in , κ for the inlet orifice meter: $\varepsilon = 1$

Through-flow orifice plate (through-flow orifice meter)



Standard in effect: ISO 5167 / 2003





Standard in effect: Measurement of fluid flow by means of pressure differential devices inserted in circular cross-sections running full ISO 5167 (2003)

Table 3 — Required straight lengths between orifice plates and fittings without flow conditioners

Values expressed as multiples of internal diameter, D

	Upstream (inlet) side of orifice plate (or															Down- stream (outlet)side of the orifice plate										
Diameter ratio	Single 90°		Two 90° bends in the same plane: Scorfiguration (30.D > S > 10.D) 3		Two 90° bends in the same plane: Scorfiguration (10 D ≥ S) a		Two 90° bends in perpendicular planes (30 <i>D</i> > <i>S</i> > 5 <i>D</i>) a		Two 90° bends in perpendicular planes (5.0) × S) a,b		Single 90° tee with or without an extension Mitre 90° bend		Single 45° bend Two 45° bends in the same plane: S-configur- ation (S > 2D)3		Concentric reducer 2D to D over a length of 1 \(\beta D \) to 3D		Concentric expander 0,5D to D over a length of D to 2D		Full bore ball valve or gate valve full y open		Abrupt symmetrical reduction		Ther- mometer pocket or well ^o of diameter ≈ 0,03 <i>D</i> ^d		Fittings (columns 2 to 11) and the densi- tometer pocket	
1	2		3		4		5		6		7		.8		9		10		11		12		13		14	
—	Αe	ВΪ	Ae	ΒŤ	Ae	ΒŤ	Ae	Вτ	Ae	ВΤ	Ae	ВŢ	Ae	ΒŤ	Ae	Вτ	Ae	Вτ	Ae	ВΤ	Ae	Вτ	Ae	ВΤ	Αe	Вτ
% 0,20	6	3	10	g	10	g	19	18	34	17	3	g	7	9	5	9	6	9	12	6	30	15	5	3	4	2
0,40	16	3	10	g	10	g	44	18	50	25	9	3 1	30	ø	5	9	12	8	12	6	30	15	5	3	6	3
0,50	22	9	18	10	22	10	44	18	75	34	19	9	30	18	8	5	20	9	12	6	30	15	5	3	6	3
0,60	42	13	30	18	42	18	44	18	-051	20	20	18	30	18	9	5	26	11	, 14	7	30	15	5	3	7	3,5
0,67	44	20	44	18	44	20	4,	20	60	18	36	18	44	18	12	6	28	14	18	. 9	30	15	5	3	7	3,5
0,75	44	20	44	18	44	22	44	20	75	18	44	12	44	18	13	8	36	18	24	12	30	15	5	3	8	4

NOTE 1 The milimium stangit lengths required are the lengths between narious mithings becamed upstream or downstream or the or mice plate and the or libe plate latent. Stangit lengths shall be measured from the downstream end of the cumed profit or uned portion of the near each (or only) behad or of the let or the downstream end of the cumed or control the reducer or the expander.

NOTE 2 Most of the bends on which the lengths in this table are based had a radius of contratine equal to 1,5 o.

a six the separation between the two bends measured from the downstream end of the curved portion of the upstream bend to the upstream end of the curved portion of the downstream bend.

Discrete the bound of the bo

C The installation of the moone terpocke is or wells will not a ber the required minimum upstream is traight tengths for the other fittings.

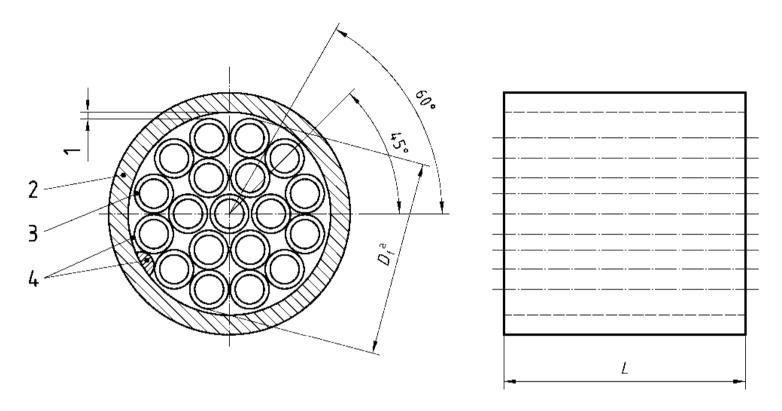
d — A thermometer pocket or well of diameter between 0,030 and 0,130 may be installed proubled that the unites in Columns A and 8 are increased to 20 and 10 respectively. Such an installation is not, however, recommended

Column A for each fitting glues lengths corresponding to "zero add tional uncertainty" unlives &ee 6.2.3).

Column 8 for each fitting glues lengths corresponding to "0,5% additional vice itainly" ualtes (see 62.6).

The straight kingthin ColumniA glues zero additional uncertainty; data are no taua bable for shorter straight kingthis which could be used to glue the required straight kingthis for ColumniB.

⁹⁵⁰ k required for re-o>2 × 10⁶ ff s < 20.



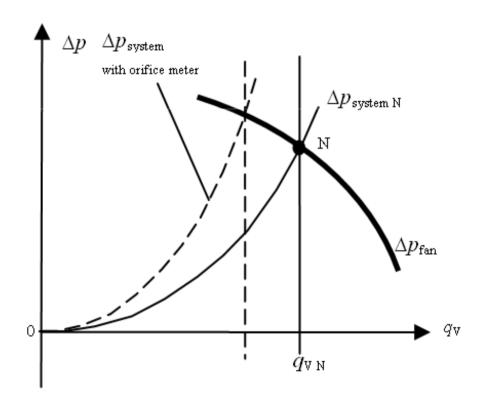
Key

- 1 minimized gap
- 2 pipe wall
- 3 tube wall thickness
- 4 centring spacer options (typically four places)
- ^a $D_{\rm f}$ is the flow straightener outside diameter.

19-tube bundle flow straightener (1998)

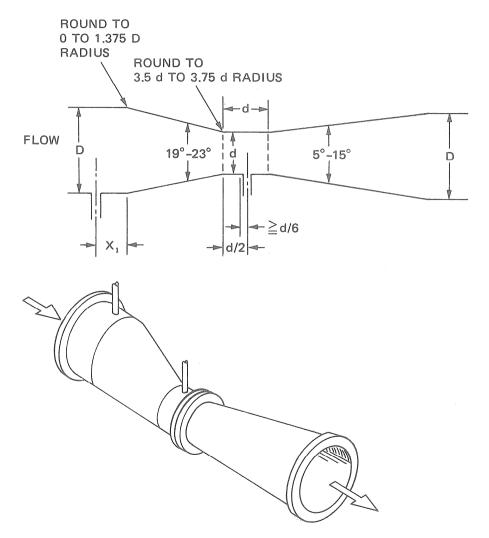
- Geometry
- •α, ε
- •Installation Examples
- •Accuracy Examples
- Problems

$$q_V = \alpha \, \varepsilon \frac{d^2 \pi}{4} \sqrt{\frac{2}{\rho} \Delta p_m}$$



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•Venturi meter ISO 5167



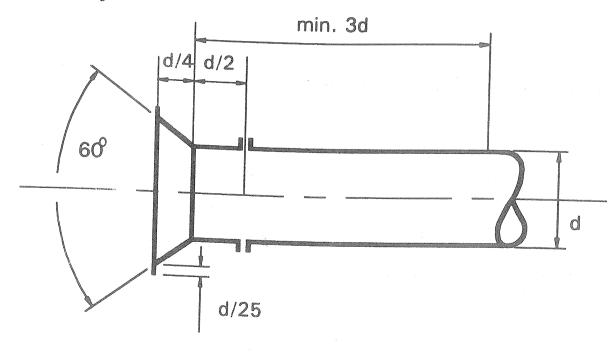
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•Inlet cone ISO 5221-1984 (E)

$$Re = \frac{4q_V}{\pi \rho dV}$$

$$(\alpha \varepsilon) = 0.955 \pm 0.020$$
 if $2 \cdot 10^5 < \text{Re} < 3 \cdot 10^5$

$$(\alpha \varepsilon) = 0.960 \pm 0.015$$
 if Re > 3.10^5

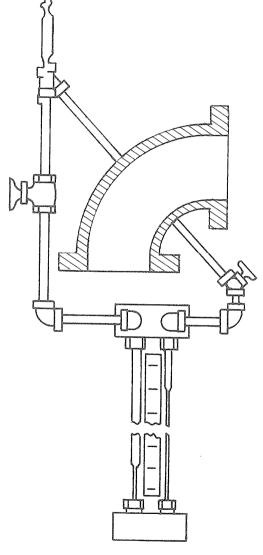


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11.3. Other types of traditional flowmeters

Example:

•Elbow meter



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11.4. Comparison between volume flow rate measurement deduced from velocity data (VEL) and using contraction elements (CON)

ASPECT	CON	VEL				
1/ Intrusiveness	"_"	"+"				
	Introduces considerable	Negligible intrusiveness				
	losses \Rightarrow the operating	(wall bores)				
	state may be modified ⇔ to					
	be included already in the					
	system design state					
2/ Following temporal	"+"	" _"				
changes in the operational	Follows unsteady flow rate	Does not follow (surface				
state	continuously	integration)				
		(⇔ correction?)				
3/ Requirements	"_"	"+"				
	Strict (manufacturing,	Moderate (no requirements,				
	installation, system is to be	only recommendations,				
	stopped)	system may run				
		continuously)				

4/ Expenses	"_"	"+"
	High (manufacturing, installation, operation: losses to be covered)	Moderate
5/ Accuracy	"+"	" <u> </u>
·	High (limited uncertainty,	Moderate (limits of
	guaranteed by the standard)	uncertainty are not
	Legally <u>defensible!</u>	guaranteed)
		Legally <u>assailable!</u>

CON: high-precision, continuous, legally defensible measurements (e.g. accounting, process control, etc.)

VEL: occasional (case study) measurements, brief estimation (e.g. fault diagnostics)