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FLUID MECHANICS TESTS

Attention: there might be more correct answers to the questions.

Chapter 6: Measurement in fluid mechanics

T.6.1.1 The dimensions of the surface-tension constant σ are

- a, kg/m²*
- b, kg/s²*
- c, kg/m³*
- d, N/m*
- e, none of them are correct.*

The answer is:

T.6.1.2 The pressure difference between the inside of a bubble and the atmospheric pressure

- a, is directly proportional to the diameter*
- b, is inversely proportional to the diameter*
- c, is inversely proportional to the surface*
- d, is directly proportional to the volume,*
- e, is independent of the diameter*

The answer is:

T.6.1.3 A U-shaped communicating vessel is made of glass, and is filled with water. One of its branches is a capillary with a small diameter. The pressure directly under the water level in the capillary is

- a, smaller, than the environmental pressure*
- b, bigger, than the environmental pressure*
- c, equals to the environmental pressure*
- d, the rise of the waterspout increases as the capillary diameter increases*
- e, the rise of the waterspout increases as the capillary diameter decreases*

The answer is:

T.6.2.1 There is an inclined manometer ($\alpha=30^\circ$), filled with alcohol ($\rho=800\text{kg/m}^3$). The surface height change in the reservoir is negligible. The liquid surface in the inclined pipe is $H=200\text{mm}$ higher than the reservoir surface, $g=9,81\text{N/kg}$. The pressure difference (Δp) is:

- a, 784,8 Pa*
- b, 78,48 Pa*
- c, 0,57x10⁶ Pa*
- d, 1570 Pa*
- e, none of them are correct.*

The answer is:

T.6.3.1 How can you express the flow rate, given the velocity field(\underline{v}), and the surface(A)?

a, $q_v = \int \rho v dA$

b, $q_v = \oint \underline{v} d\underline{s}$

c, $q_v = \int_A \underline{v} d\underline{A}$

d, $q_v = \int_A v dA$

e, $q_v = \sum_{i=1}^n v_i \Delta A_i$

The answer is:

T.6.3.2 We can use the following expression for the measurement with a constrictor element:

a, $q_v = \alpha \varepsilon \frac{d^2 \pi}{4} \sqrt{\frac{\rho}{2}} \Delta p_m$

b, $q_v = \varepsilon \frac{d^2 \pi}{4} \sqrt{\frac{\rho}{2}} \sqrt{\Delta p_m}$

c, $q_v = \alpha \varepsilon \sqrt{\frac{d^2 \pi}{4} \frac{2}{\rho}} \sqrt{\Delta p_m}$

d, $q_v = \alpha \varepsilon \frac{d^2 \pi}{4} \sqrt{\frac{2}{\rho}} \sqrt{\Delta p_m}$

The answer is:

T.6.3.3 The correct expression for calculating velocity from a measurement with a Pitot-static tube (Prandtl probe) is:

a, $v = \sqrt{\frac{2 p_{din}}{\rho}}$

b, $v = \sqrt{\frac{2}{\rho}} p_{st}$

c, $v = \sqrt{\frac{2}{\rho}} p_{\bar{o}}$

d, $v = \sqrt{\frac{2 p_{\bar{o}}}{\rho}}$

e, $v = \sqrt{\frac{2 p_{st}}{\rho}}$

The answer is:

T.6.4.1 In order to correctly model the flow around a moving body in the wind tunnel

a, *the body has to be moved in the wind tunnel*

b, *the velocity field in the wind tunnel has to be uniform*

c, *the atmospheric turbulence has to be modelled correctly*

d, *the fluid turbulence has to be as low as possible.*

The answer is:

T.6.4.2The cross-section closure ratio

a, is the ratio of the body and the air stream cross-section

b, is the ratio of the air stream and the body cross-section

c, should have a value of 0.05-0.1

d, should have a value of 0.2-0.4

The answer is:

T.6.4.3 Assuming that the velocity, the temperature and the size of the body is constant, the increasing pressure of the flowing air in the wind tunnel:

a, increases the Reynolds number

b, decreases the Reynolds number

c, increases the Mach number

d, doesn't influence the Mach number

e, decreases the Mach number.

The answer is: